

Trait-based higher-order interactions and species coexistence

György Barabás

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LINKÖPINGS UNIVERSITET

Outline

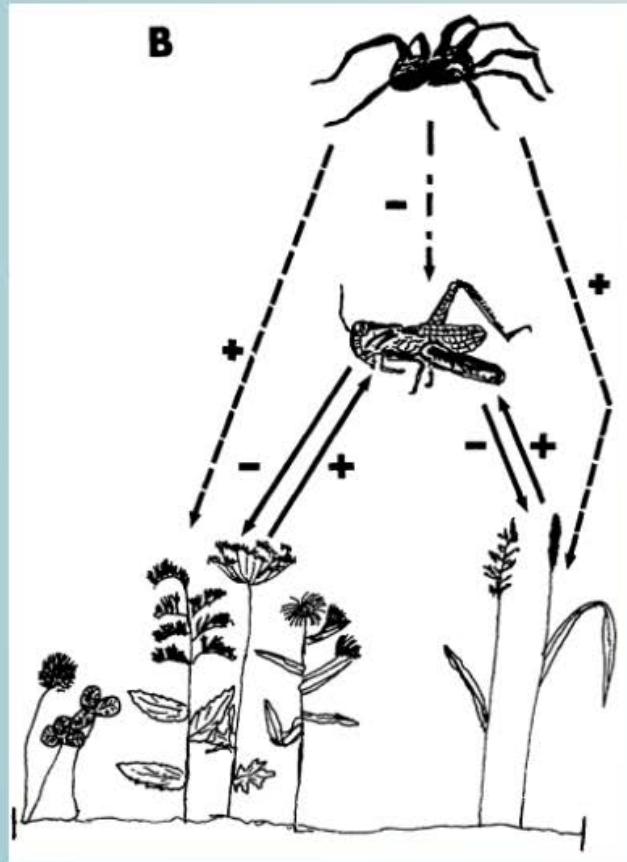
1. What are (trait-based) higher-order interactions?
2. A review of trait-based model results without higher-order effects
3. Understanding how trait-based higher-order interactions affect coexistence

Higher-order interactions

3rd species modifies interaction between 2 others

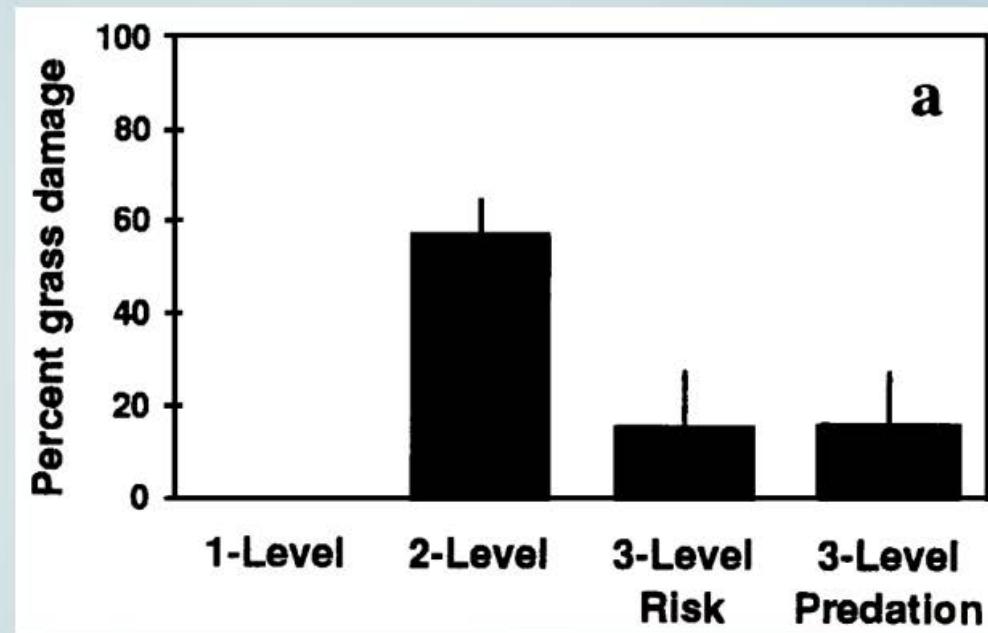
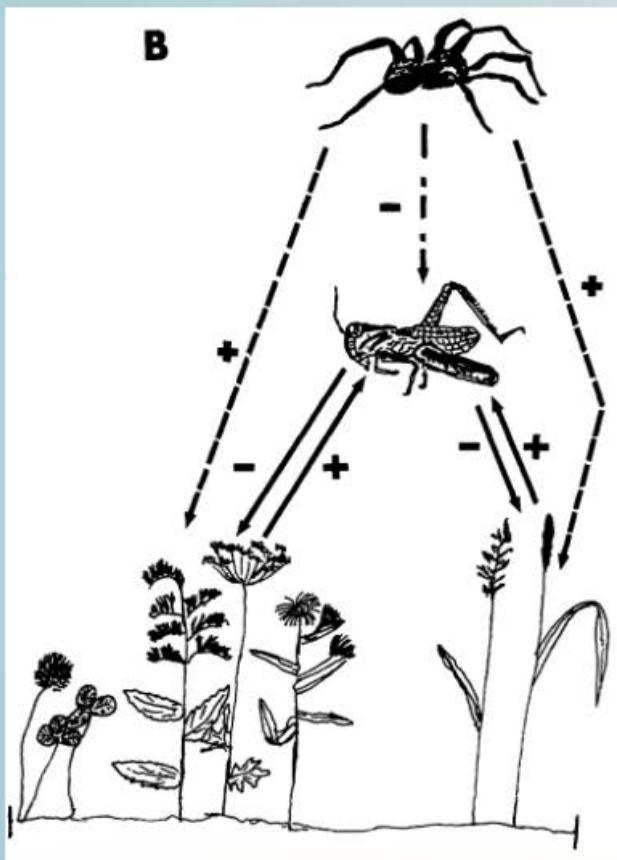
Higher-order interactions

3rd species modifies interaction between 2 others

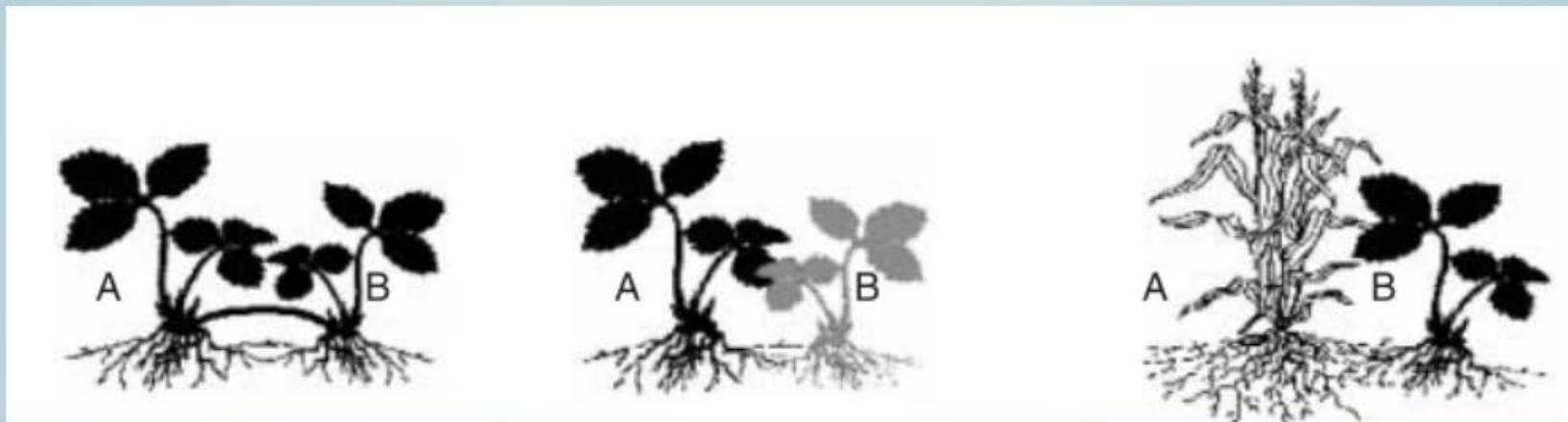


Higher-order interactions

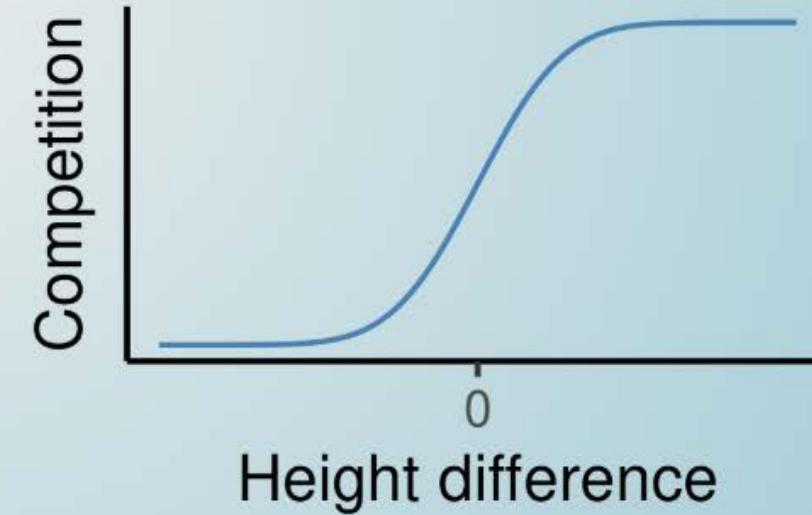
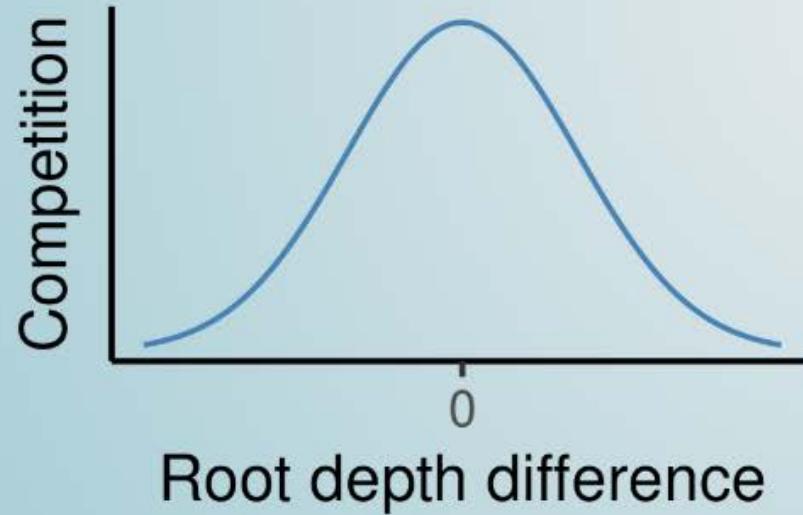
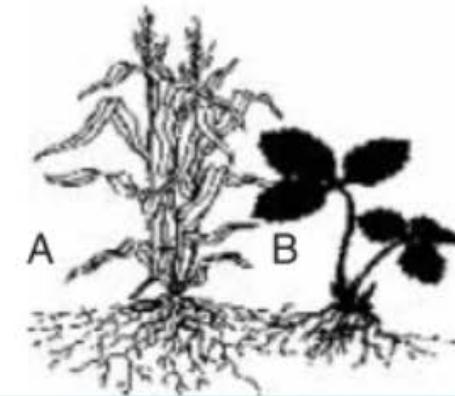
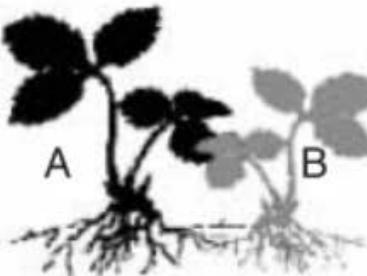
3rd species modifies interaction between 2 others



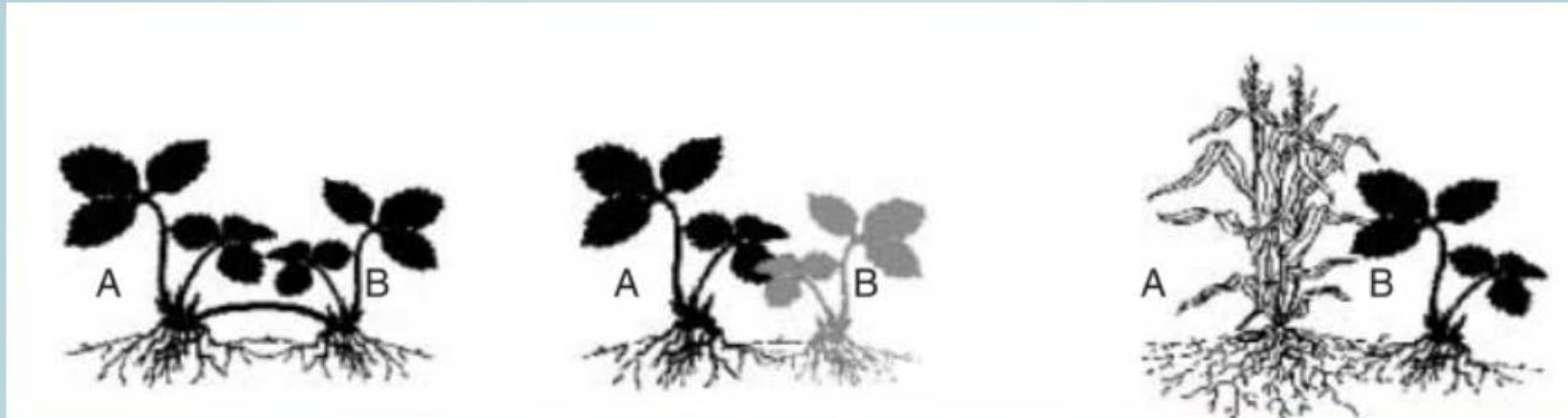
Trait-based pairwise effects



Trait-based pairwise effects



Trait-based higher-order effects

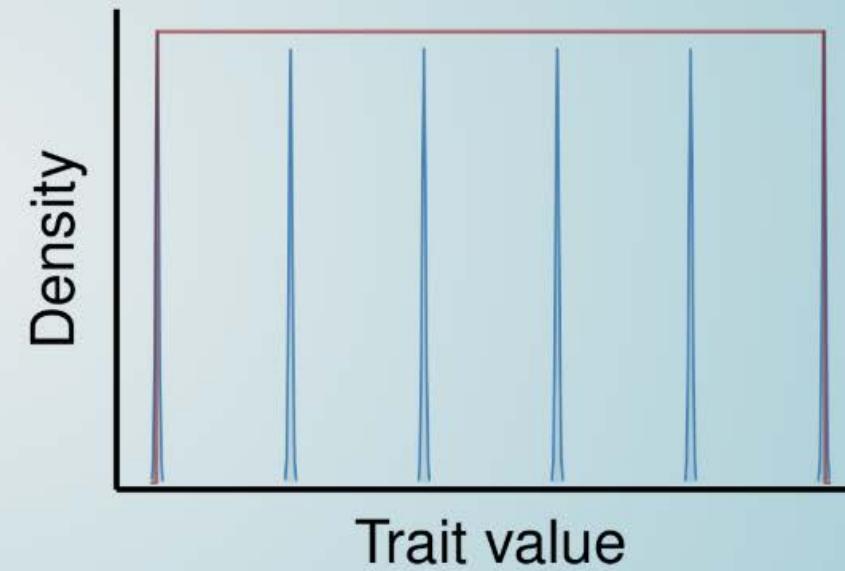
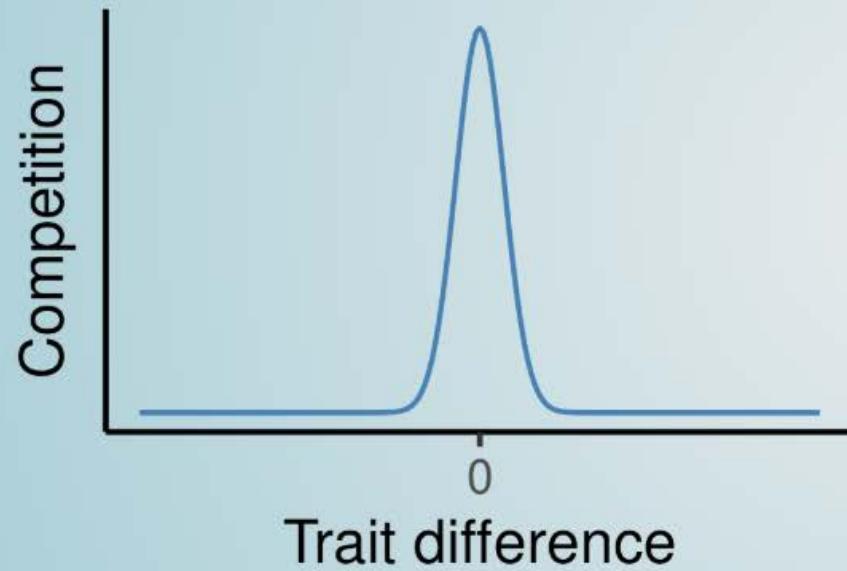


Coexistence in pairwise models

Average spacing between adjacent species \sim width of kernel

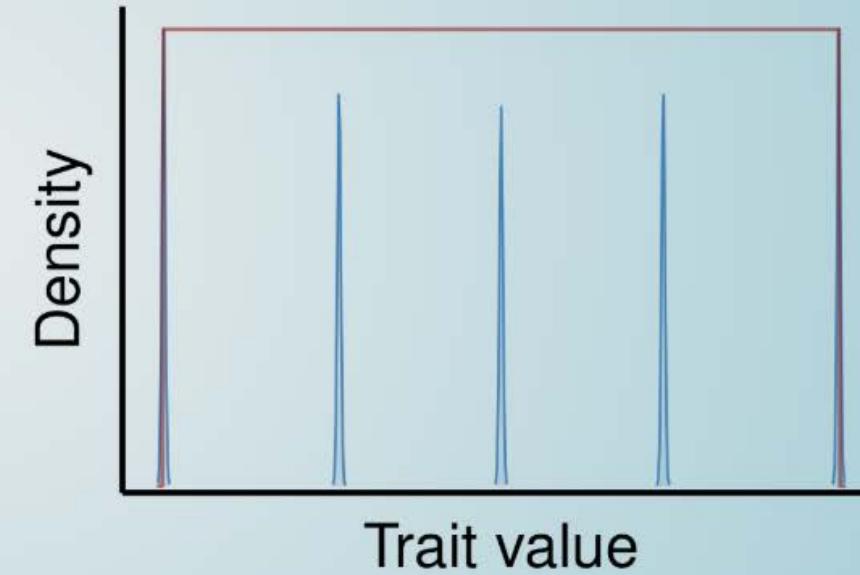
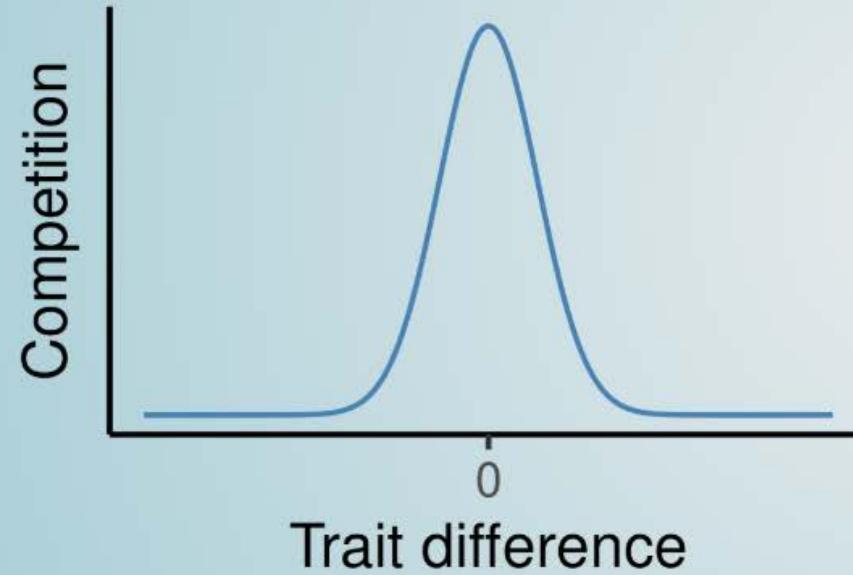
Coexistence in pairwise models

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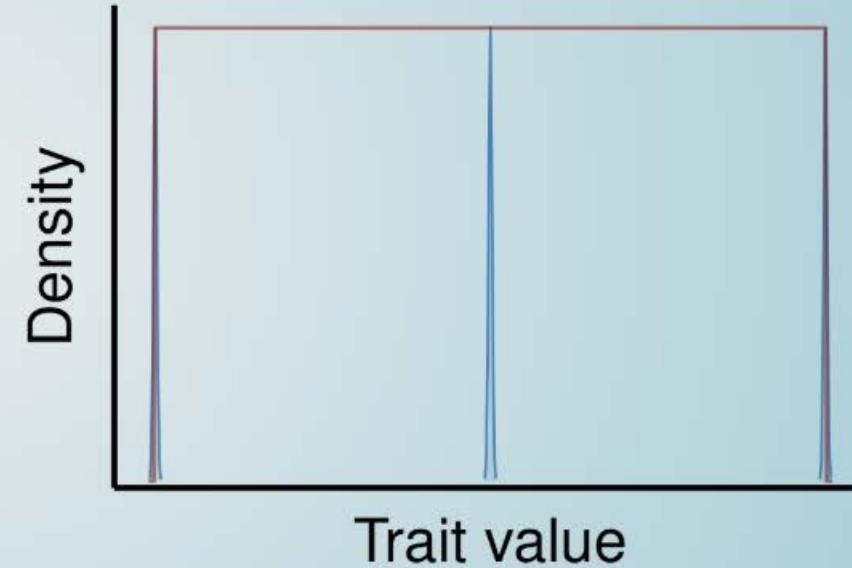
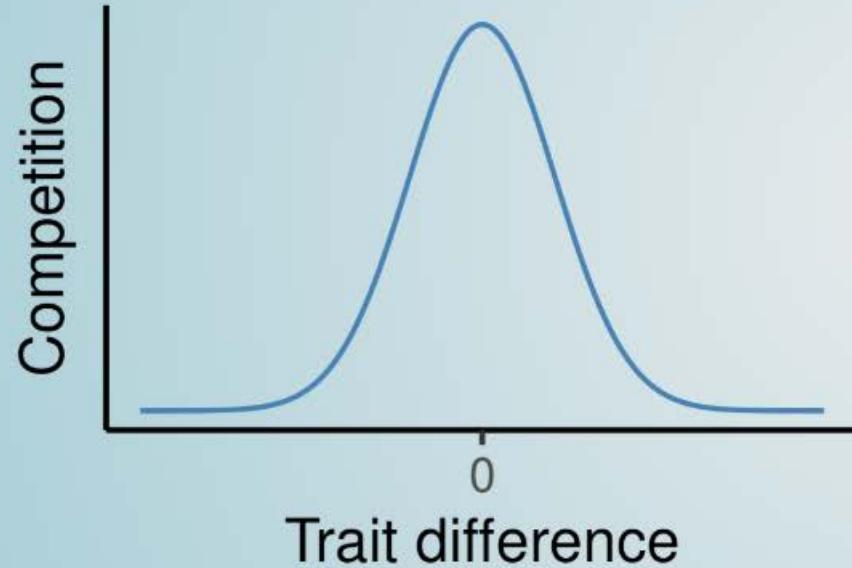
Coexistence in pairwise models

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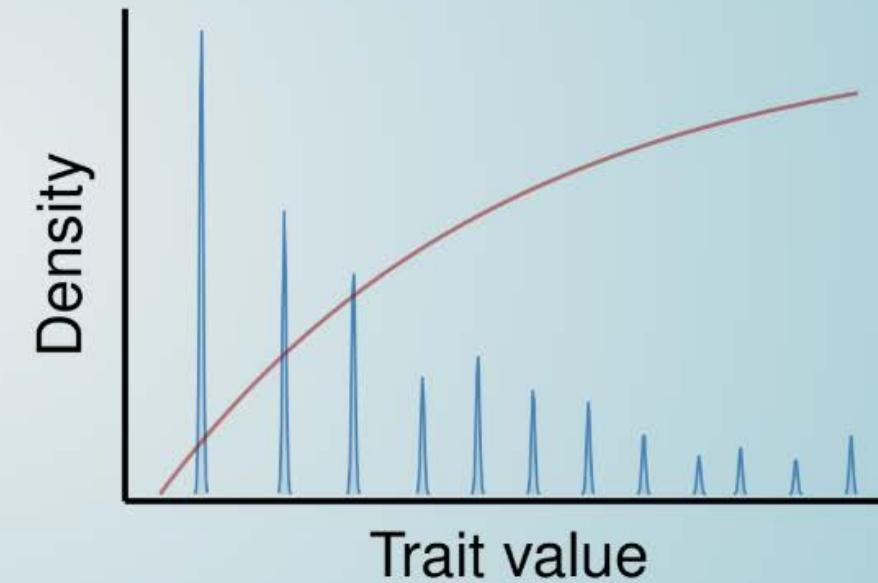
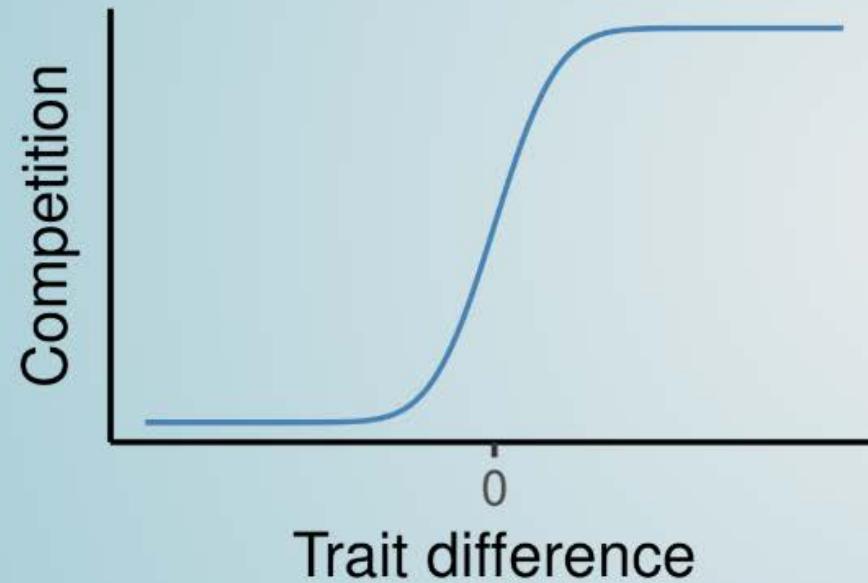
Coexistence in pairwise models

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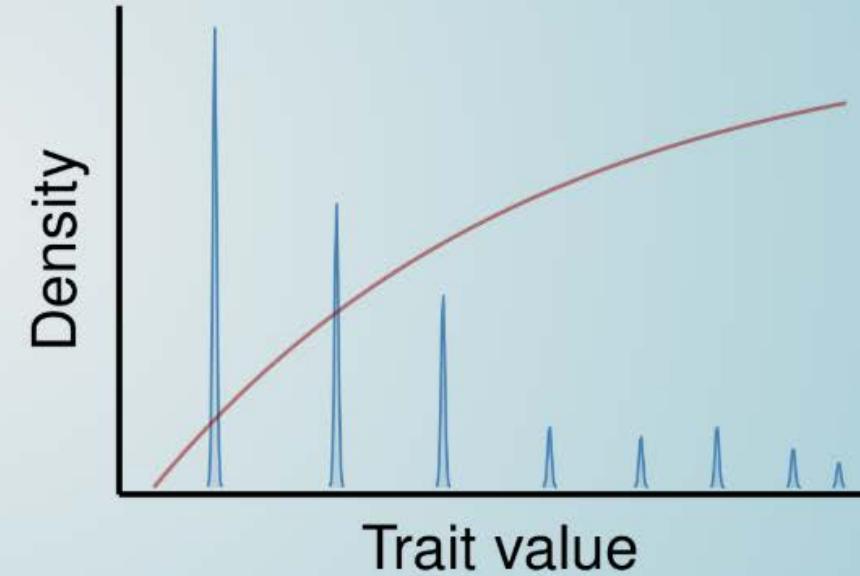
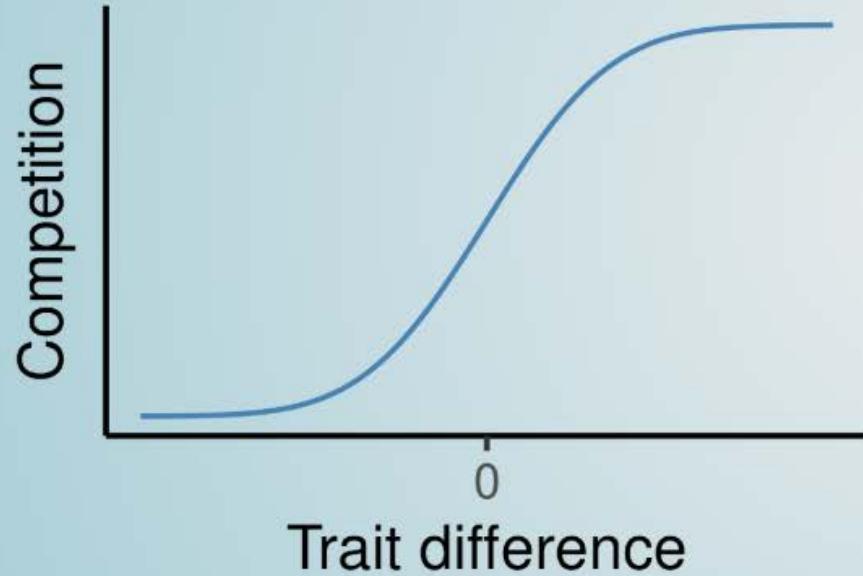
Coexistence in pairwise models

Average spacing between adjacent species \sim width of kernel



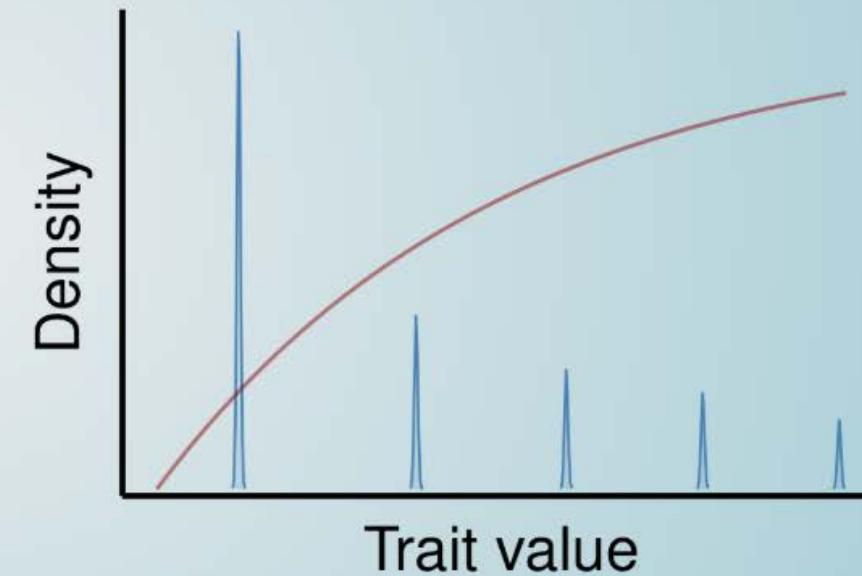
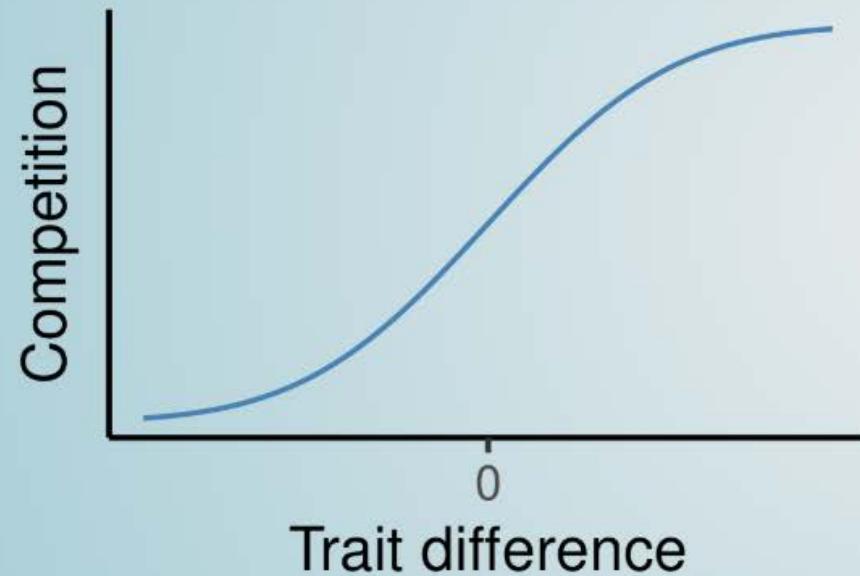
Coexistence in pairwise models

Average spacing between adjacent species \sim width of kernel



Coexistence in pairwise models

Average spacing between adjacent species \sim width of kernel



Coexistence in higher-order models?



Strategy: higher-order model → pairwise model with **effective** interaction kernel

Effective kernel \sim pairwise kernel + higher-order kernel

Effective interaction kernel

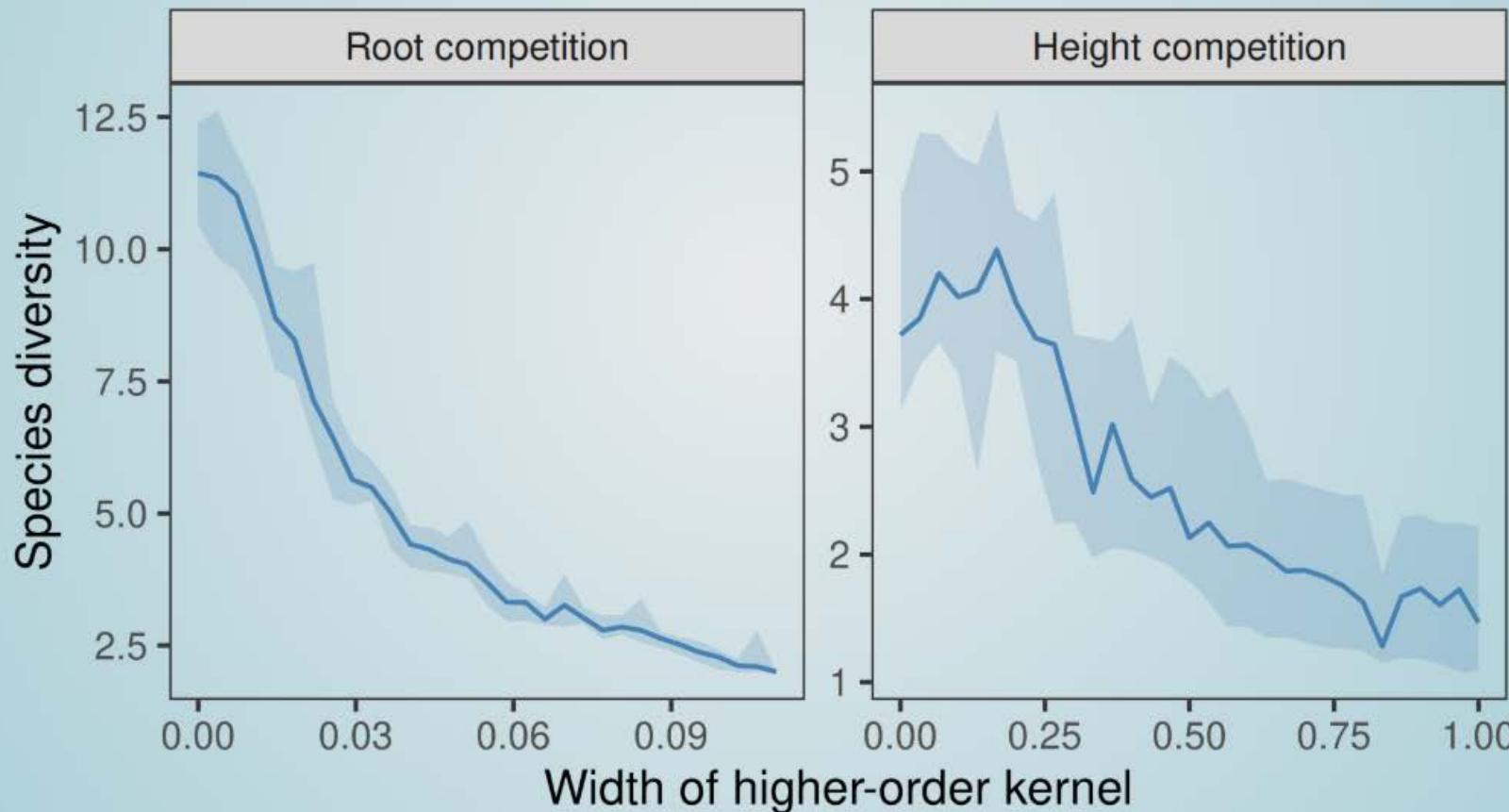
$$\begin{aligned} r(x) = & b(x) - \int \alpha(x, y) N(y) dy \\ & - \iint \beta(x, y, z) N(y) N(z) dy dz \end{aligned}$$

Define $\alpha^{\text{eff}}(x, y) = \alpha(x, y) + \int \beta(x, y, z) N(z) dz$

Then: $r(x) = b(x) - \int \alpha^{\text{eff}}(x, y) N(y) dy$

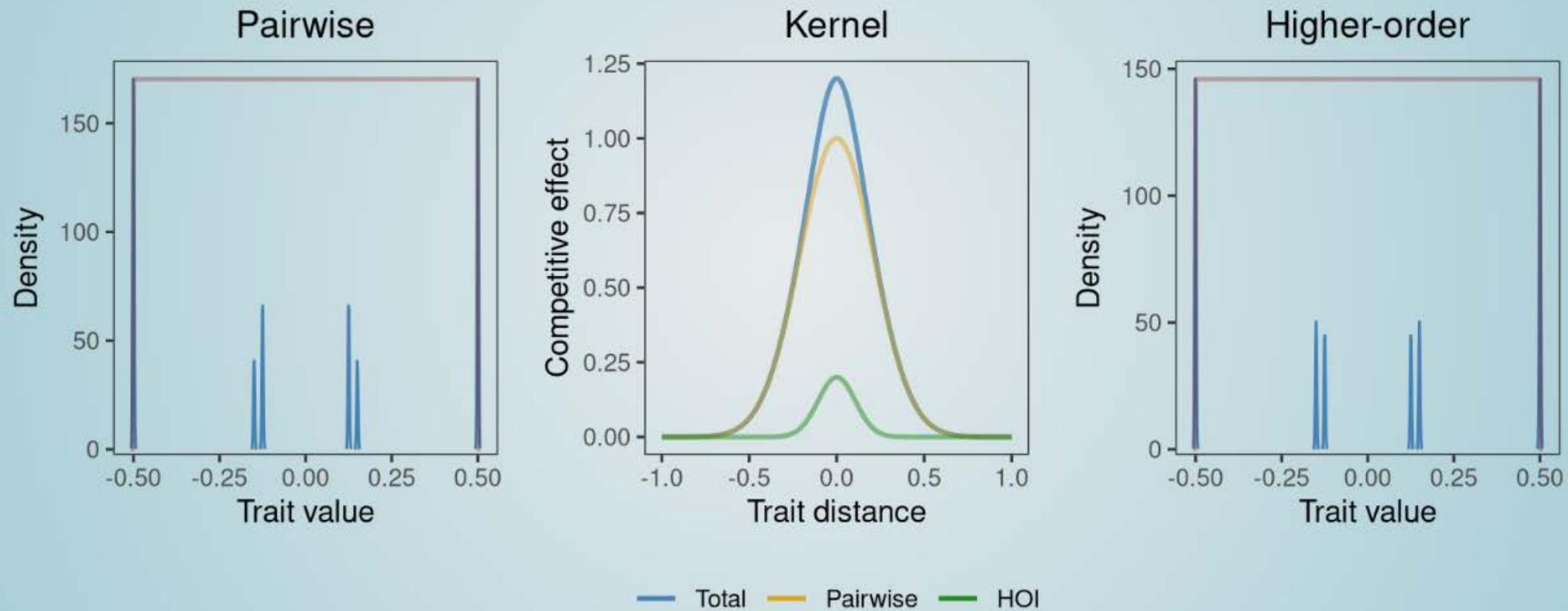
\Rightarrow Shape of (pairwise + higher-order) drives coexistence?

Increasing higher-order width without pairwise effects



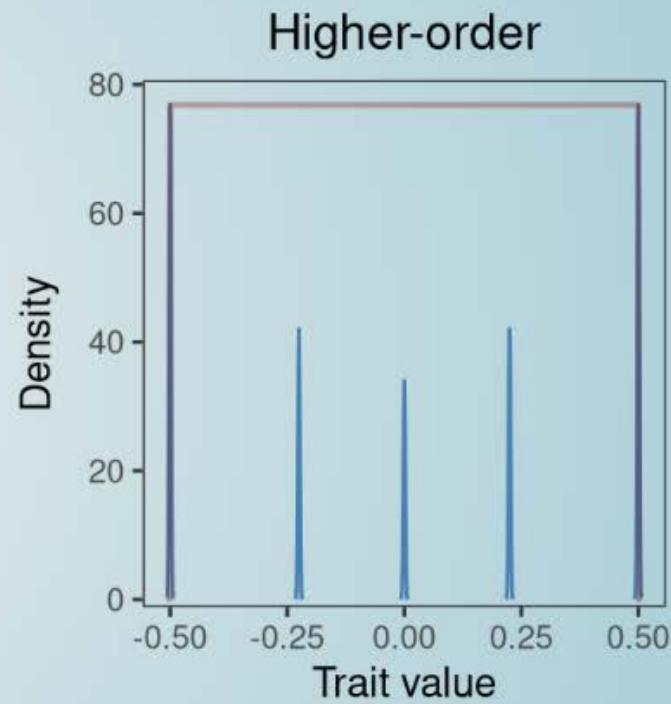
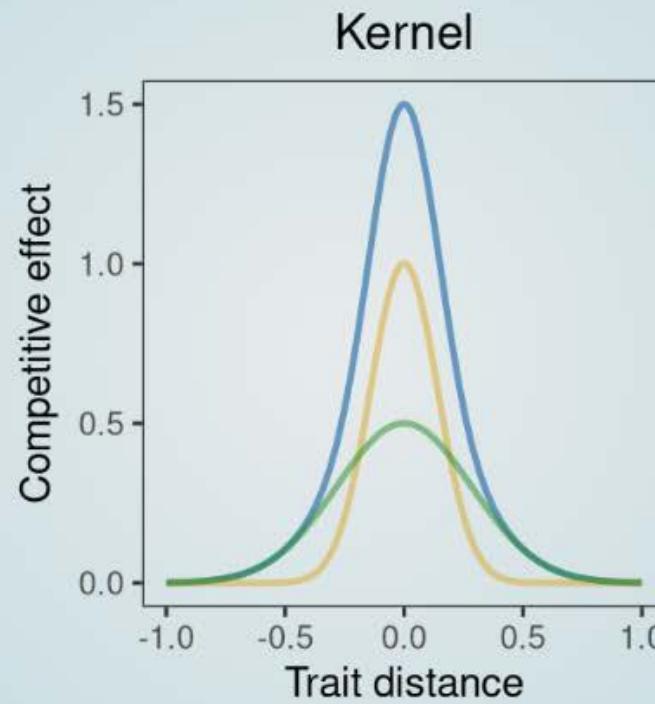
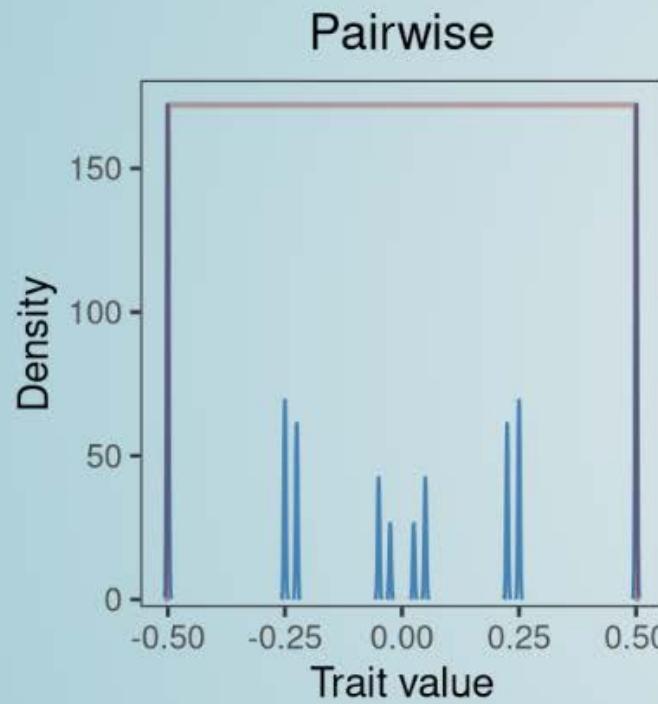
How kernel widths interact

Pairwise width > higher-order width: no effect on diversity



How kernel widths interact

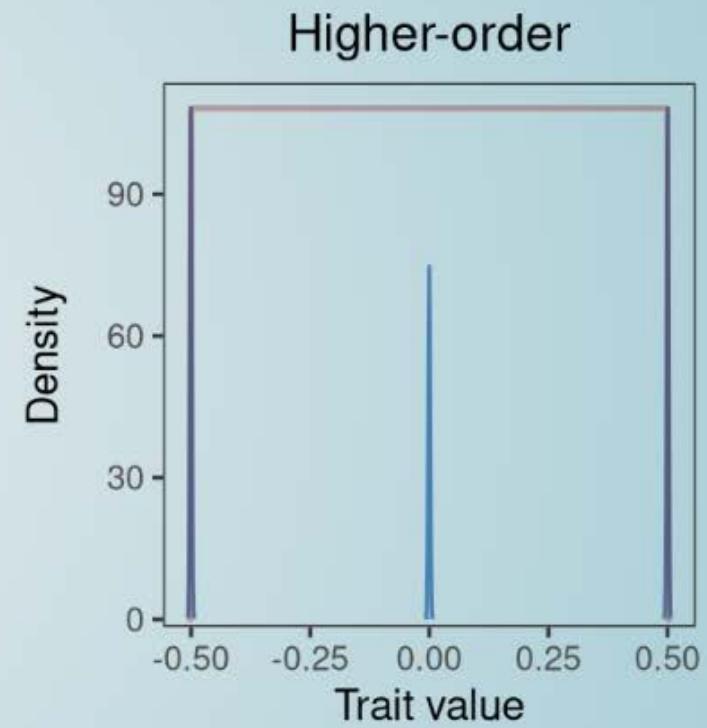
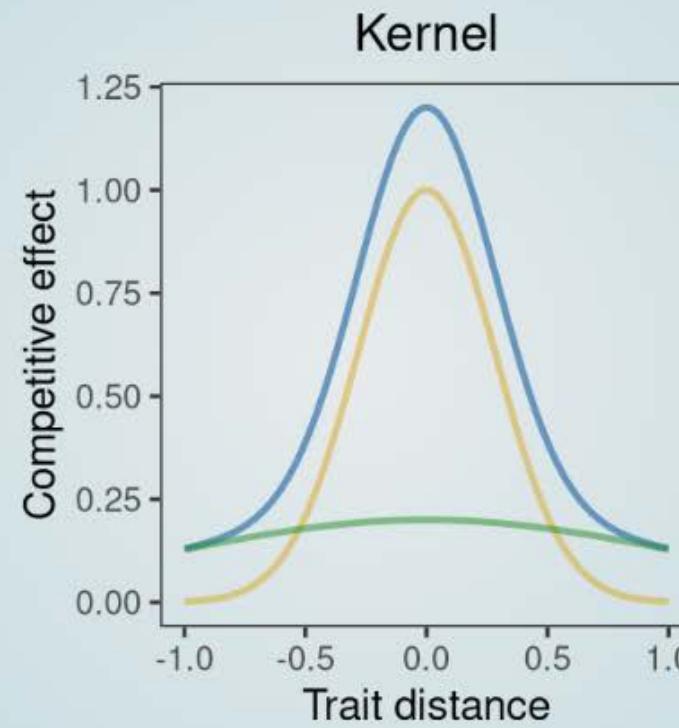
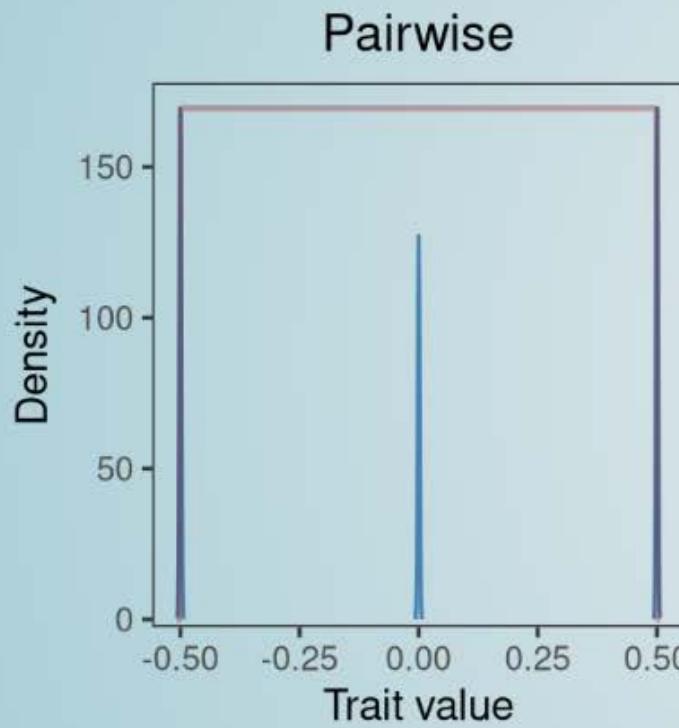
Pairwise width < higher-order width: reduces diversity



— Total — Pairwise — HOI

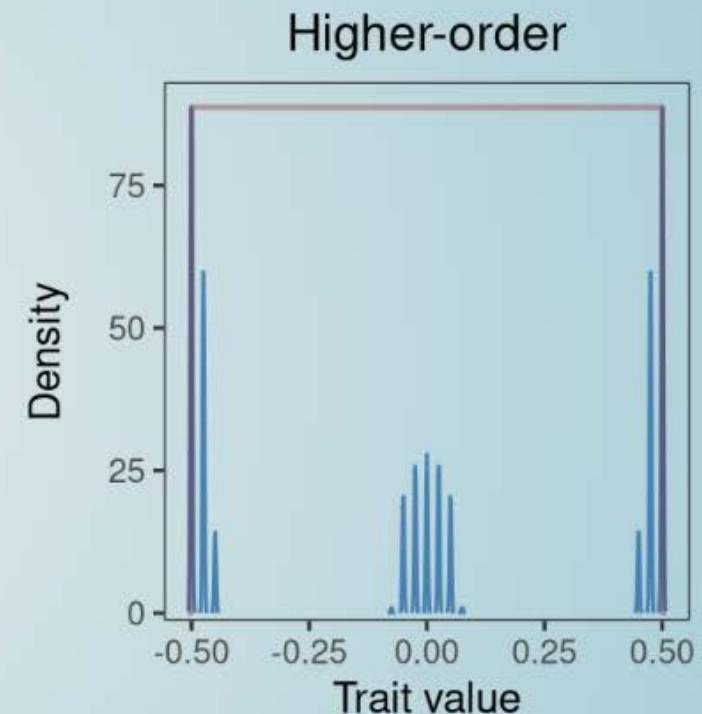
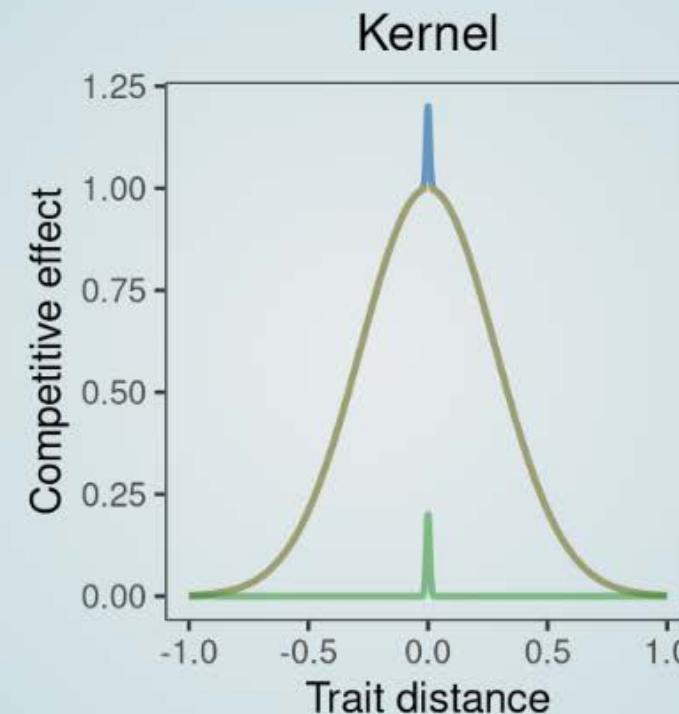
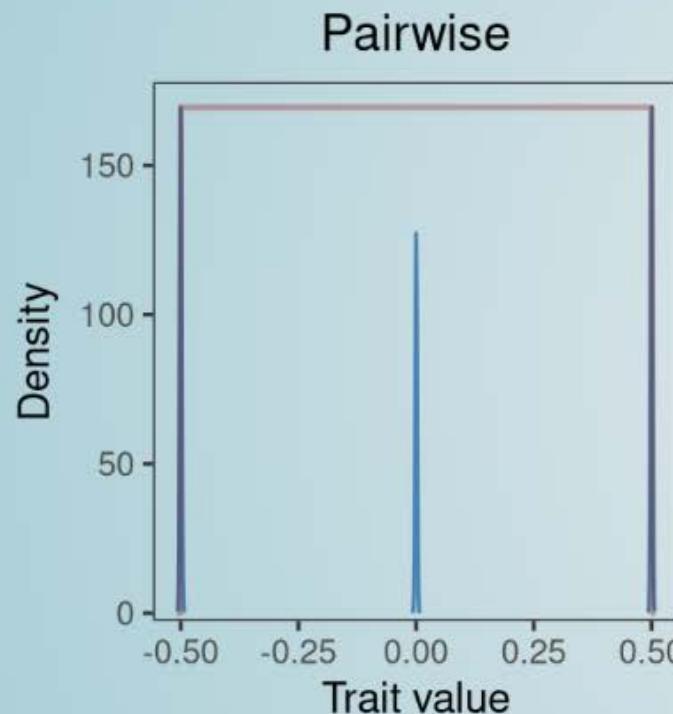
How kernel widths interact

Pairwise width \ll higher-order width: again, no effect



How kernel widths interact

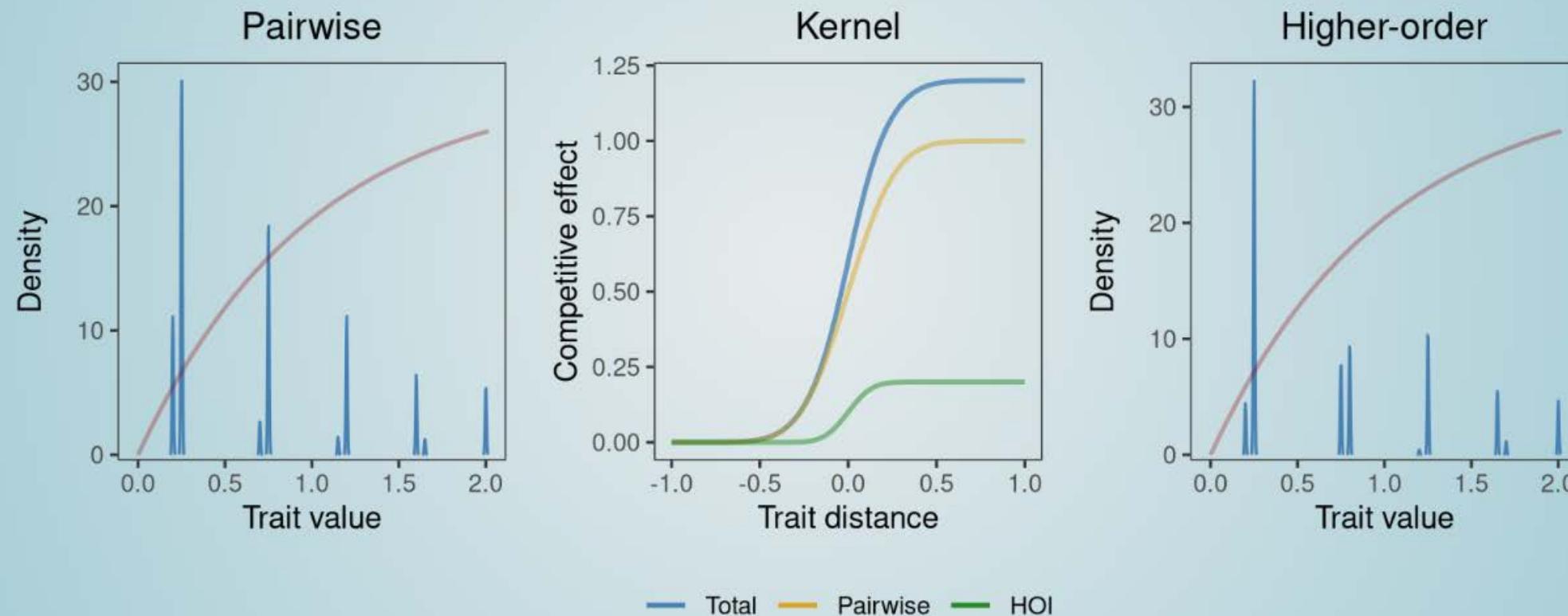
Pairwise width \gg higher-order width: promotes diversity



— Total — Pairwise — HOI

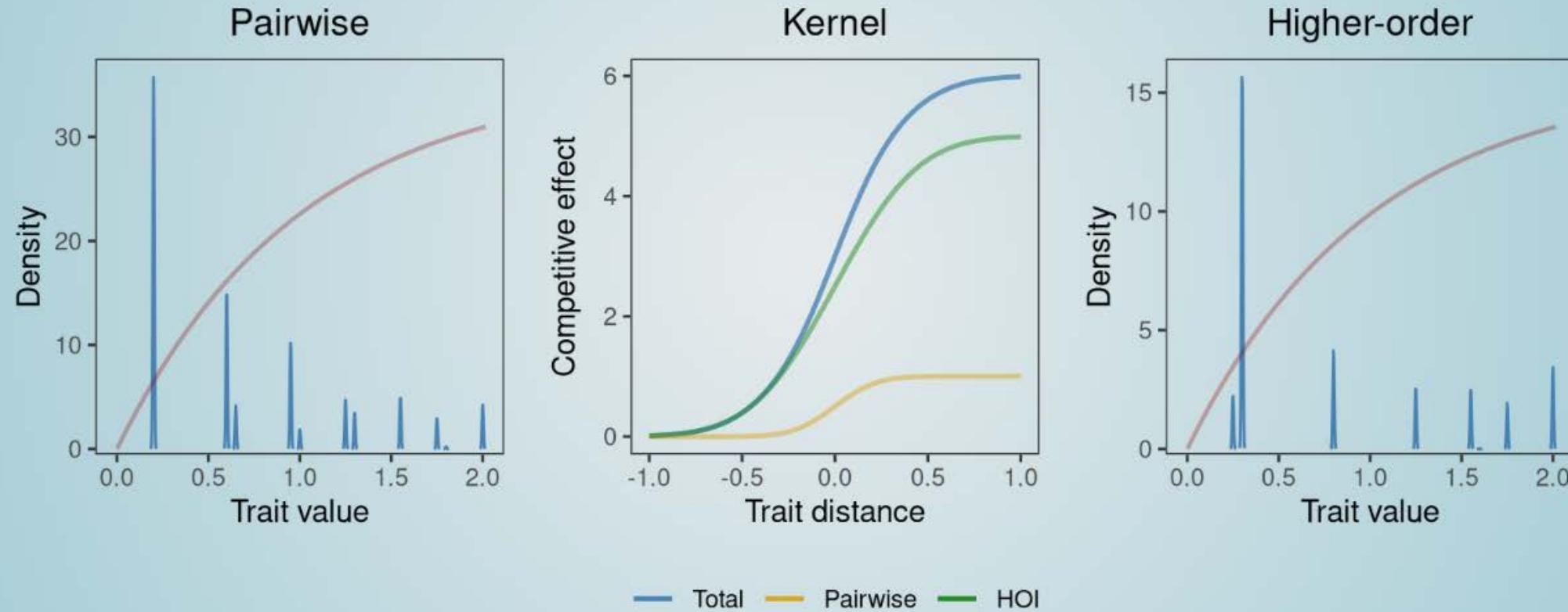
How kernel widths interact (height)

Pairwise width > higher-order width: no effect on diversity



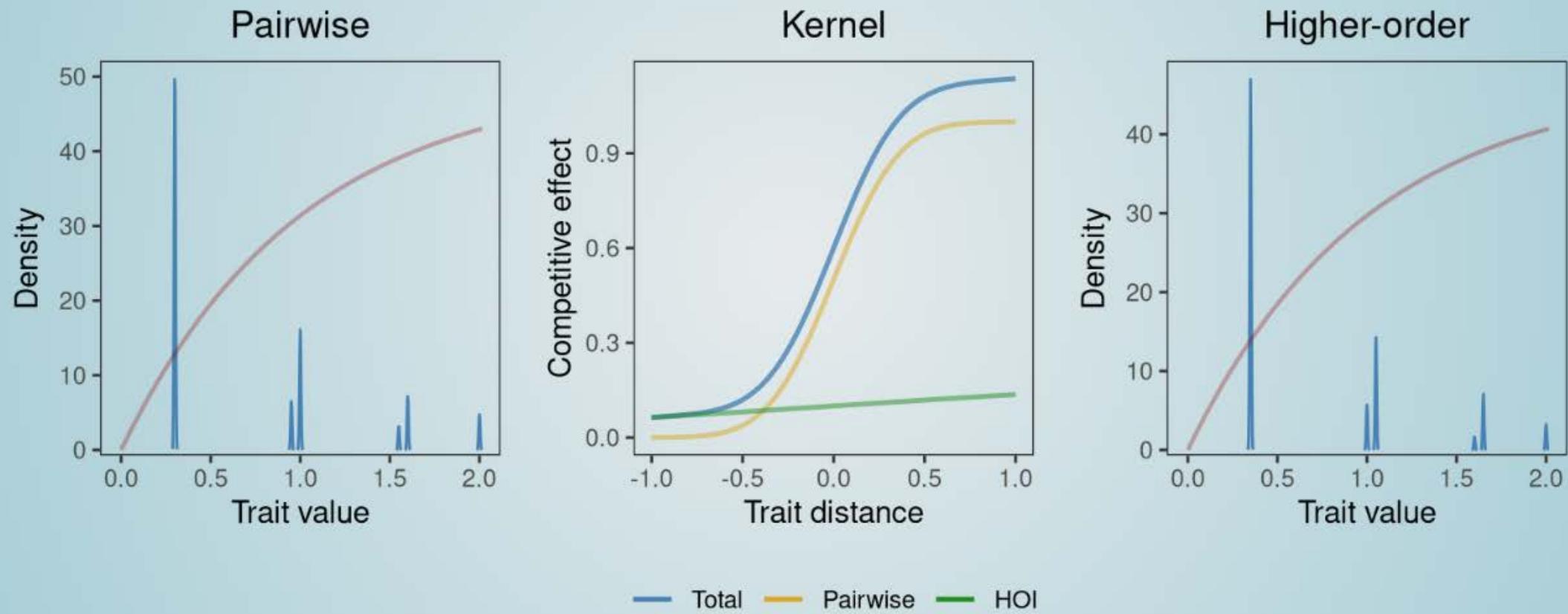
How kernel widths interact (height)

Pairwise width < higher-order width: reduces diversity



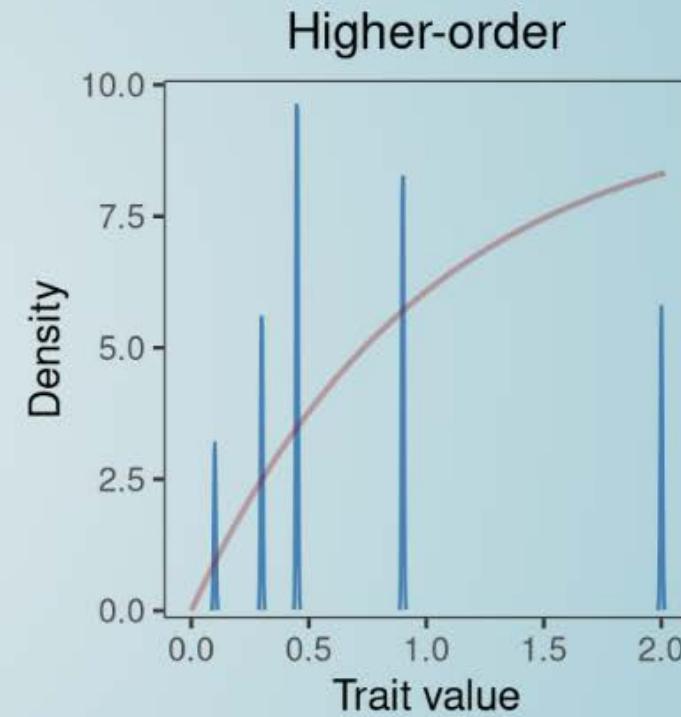
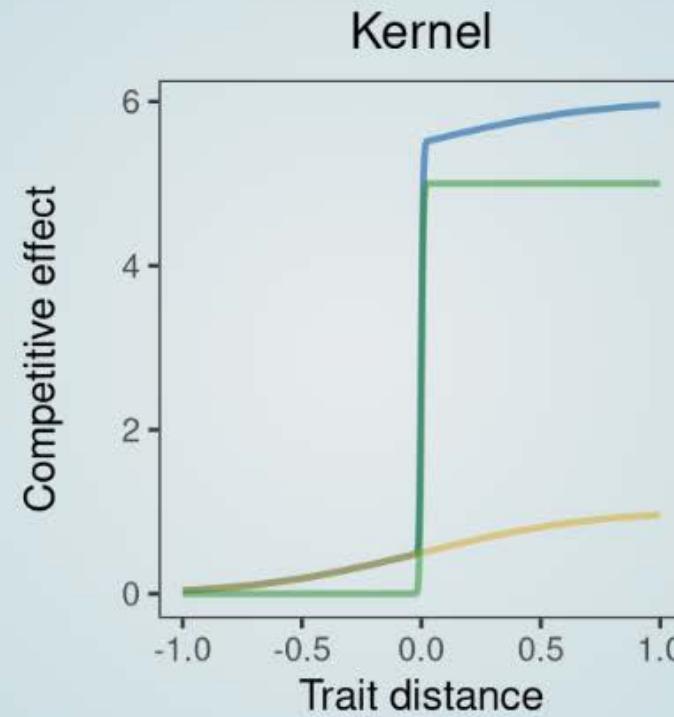
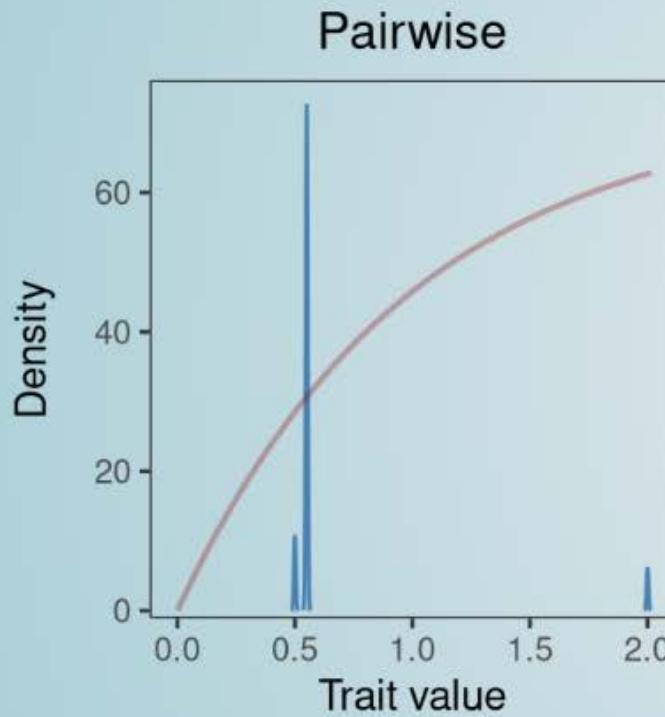
How kernel widths interact (height)

Pairwise width \ll higher-order width: again, no effect



How kernel widths interact (height)

Pairwise width \gg higher-order width: promotes diversity



— Total — Pairwise — HOI

Summary

- Effect of trait-based higher-order interactions on coexistence could be anything
- But we can predict the effect by analyzing the relative widths of the pairwise and higher-order interaction kernels

Acknowledgments

- Gaurav Baruah
- Robert John Chandran

